Is our Universe Remnant of Chiral Anomaly in Inflation?

> Based on arXiv:2012.11516 & arXiv:2103.14611

> > Azadeh Malek-Nejad CERN



 $\nabla_{\mu} J_5^{\mu}$ 

 $W_{\mathsf{R}}$ 

 $\mathcal{N}W_{\mathrm{R}}$ 

 $SU(2)_R$  -Axion Inflation

March 2021

# Cosmic History

# <u>Cosmic History</u>

Our Universe is expanding. For many it was filled with a **hot** plasma.

As it expands it becomes colder and colder.





# <u>Cosmic History</u>

Big Bang

Singularity

Our Universe is expanding. For many it was filled with a hot plasma.

As it expands it becomes colder and colder.

When temperature got below 1 eV, neutral atoms &

Cosmic Microwave Background (CMB) is formed.



#### <u>Cosmic History</u> Plasi Our Universe is expanding. For many it was filled with a hot plasma. Big Bang As it expands it becomes colder and colder. CMB when temperature got below Singularity Ares 1 eV, neutral atoms & Cosmic Microwave Background (CMB) is formed. Those initially hot atoms T=1eV slowly assembled & cooled into Cold Large Scale Structures.



# Cosmic Inflation

Guth Phys. Rev. D23 (1981) Linde Phys. Lett. B 108 <u>(1982)</u>

A period of exponential expansion of space shortly after the Big Bang





Cosmic Inflation

Guth Phys. Rev. D23 (1981) Linde Phys. Lett. B 108 (1982)

A period of exponential expansion of space shortly after the Big Bang  $a_f$ Inflation  $a_i$ Modern Universe CMB CMB photon Big Bang Singularity  $\underline{a_f}$  $= e^{60} \approx 10^{26}!$  $a_i$  $D \approx 10 \ \mu m$ Bacterium Milky Way Energy Time

# What caused inflation?

A scalar field "slow-rolling" toward its true vacuum provides a simple model for inflation.





# What caused inflation?

A scalar field "slow-rolling" toward its true vacuum provides a simple model for inflation.

 $\rho = \frac{1}{2}\dot{\phi}^2 + V(\phi)$  $\mathsf{P} = \frac{1}{2}\dot{\phi}^2 - V(\phi)$  $V(\varphi)$ Slow-roll inflation Flat potential φ  $\Delta \varphi$ 

It is assumed that the cosmos was filled with a homogenous scalar field beyond the SM in inflation

$$\phi(t, \vec{x}) = \phi(t)$$



# Quantum Fluctuations

# $\hbar \neq 0$

# Quantum Vacuum $\hbar \neq 0$

Due to Uncertainty Principle

 $\Delta x \, \Delta p \geq \frac{\hbar}{2}$ 

quantum vacuum is NOT nothing!



# Quantum Vacuum $\hbar \neq 0$

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quantum vacuum is NOT nothing! But, a vast ocean made of

#### Virtual particles



VACUUM



### Quantum Vacuum

Due to Uncertainty Principle

 $\Delta x \, \Delta p \geq \hbar/2$ 

the quantum vacuum is NOT nothing!

But, a vast ocean made of

Background field can upgrade them into actual particles! Examples of such BG fields: 1) Electric (Schwinger effect) 2) Gravitational (Gravitational production)

Actual particles

Particle Production

Virtual particles

**BG** field

# Inflation Produces Particles!

Flat Space:

Expanding space:

Space



Vacuum

Particle Production

# Inflation Produces Particles!

Flat Space:



Vacuum

Particle Production

Shocked by his discovery, Schrödinger found it an alarming phenomenon!

Expanding space:

Edwin Schrödinger

(1939)

## Cosmic Perturbations Primordial

Exponential expansion turns initial quantum vacuum fluctuations into



actual cosmic perturbations!

We are the product of quantum fluctuations in the very early universe! (Stephen Hawking)



# Primordial Gravitational Waves

#### Inflation also predicts primordial GWS:





**Primordial GWs:** tiny waves in the fabrics of the space-time that squeeze and stretch anything in their path as they pass by.



# Primordial Gravitational Waves

o Vacuum GWS

# $\Box h_{ij} = 0 \implies h_{\pm} = h_{\pm}^{vac}$



Circular polarizations





# Primordial Gravitational Waves

• Vacuum GWS  $\Box h_{ij}=0 \longrightarrow h_{\pm}=h_{\pm}^{vac}$ • Unpolarizaed  $<|h_{\pm}^{vac}|^{2}>=<|h_{\pm}^{vac}|^{2}>$ • Nearly Gaussian





Circular polarizations



# <u>Cosmic Perturbations-Gravitational Waves</u>







• Observations are in perfect agreement with Inflation.

- The Particle Physics of Inflation is still unknown.
- The Standard models of inflation are based on Scalars.

Inflation Particle Physics: - a scalar singlet BSM

-Unpolarized, Gaussian GW





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### Puzzles of SM & Cosmology

- I) Particle physics of Inflation
- II) Origin of matter asymmetry
- III) Origin of Neutrino mass
- IV) Particle nature of DM

Puzzles of Standard Model of Particle Physics (SM) & Cosmology Which need Physics Beyond SM

Inflation  $m_{1}$ Observabl

## Matter asymmetric

Universe is highly matter asymmetric



 $\eta_{B} = \frac{n_{B} - n_{\overline{B}}}{n_{\gamma}} \approx 6 \times 10^{-10}$ - Statistical fluctuations **\*** (Too small)
- Initial condition **\*** (due to inflation)
Must be produced dynamically, i.e. **Baryogenesis** by

- Baryon number violation,

Sakharov Conditions: - C and CP violation,



- Out of thermal equilibrium

Physics Beyond the Standard Model!

SM Has All, But Too Tiny!











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Puzzles of Standard Model of Particle Physics (SM) & Cosmology Which need **Physics Beyond SM** 

Curious cosmological coincidences  $\eta_B \simeq 0.3 P_{\zeta}$  and  $\Omega_{DM} \simeq 5\Omega_B$ !

$$\eta_B = \frac{\mathbf{n}_B - \mathbf{n}_{\bar{B}}}{\mathbf{n}_{\gamma}} \approx 6 \times 10^{-10}$$

Baryon to Photon Ratio Today

$$P_{\zeta} = \frac{1}{2\epsilon} \left( \frac{1}{2\pi} \frac{H}{M_{pl}} \right)^2 \approx 2 \times 10^{-9}$$

Inflation

 $m_{\gamma}$ 

Dhserva

Curvature Power Spectrum in Inflation

### Puzzles of SM & Cosmology

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Puzzles of Standard Model of Particle Physics (SM) & Cosmology Which need Physics Beyond SM Inflation

Observab

- Curious cosmological coincidences  $\eta_B \simeq 0.3 P_{\zeta}$  and  $\Omega_{DM} \simeq 5\Omega_B$ !
- 1. Ad hoc parity violation
- 2. Accidental B-L global symmetry
- 3. Vacuum Stability problem
- 4. Strong CP problem

SM as a particle physics model also faces some conceptual issues



# Gauge Fields & Inflation

## Why Gauge Fields in Inflation?!

- Why not?
- Inflation happened at highest energy scales observable!
- Gauge fields are ubiquitous, building blocks of SM & beyond.
- What do they do in inflation?



 $E_{Lnf} < 10^{14} GeV$ 



## Why Gauge Fields in Inflation?!

- Why not?
- Inflation happened at highest energy scales observable!
- Gauge fields are ubiquitous, building blocks of SM & beyond.
- What do they do in inflation?
- I. Can Gauge Fields Contribute to Physics of Inflation? Yes!
- II. Do they leave an observable signature? Yes! Robust prediction for GW background.
- III. How much they can change the cosmic history? A lot! Novel mechanisms for Baryo- and Dark-genesis.



 $E_{Lnf} < 10^{14} GeV$ 





- 1) Conformal symmetry of Yang-Mills gauge field dilutes like  $A_{\mu} \sim 1/a$
- 2) Respecting gauge symmetryNot to break gauge symmetry explicitly

**A.M.** & Sheikh-Jabbari, 2011





- 1) Conformal symmetry of Yang-Mills gauge field dilutes like  $A_{\mu} \sim 1/a$
- 2) Respecting gauge symmetryNot to break gauge symmetry explicitly
- 3) Spatial isotropy & homogeneity U(1) vacuum  $A_{\mu}$ 
  - $\overline{A_i} = Q(t)\delta_i^3$

**A.M.** & Sheikh-Jabbari, 2011

Adding new terms to the gauge theory

 $\frac{\kappa}{384} (F\tilde{F})^2$   $\frac{\lambda}{8f} F\tilde{F} \varphi^{\text{Axion}}$ 

SU(2) vacuum  $A_{\mu} = A^{a}_{\mu} T_{a}$   $[T_{a}, T_{b}] = i \varepsilon^{abc} T_{c}$ Spatially isotropic  $A^{a}_{i} = Q(t)\delta^{a}_{i}$ 

so(3) & su(2) are isomorphic

# SU(2)-Axion Model Building

- Gauge-flation A. M., & Sheikh-Jabbari, 2011  $S_{Gf} = \int d^4x \sqrt{-g} \left( -\frac{R}{2} - \frac{1}{4}F^2 + \frac{\kappa}{384}(F\tilde{F})^2 \right)$
- Chromo-natural P. Adshead, M. Wyman, 2012

$$S_{Cn} = \int d^4x \sqrt{-g} \left( -\frac{R}{2} - \frac{1}{4}F^2 - \frac{1}{2} \left( (\partial_\mu \varphi)^2 - \mu^4 \left( 1 + \cos(\frac{\varphi}{f}) \right) \right) - \frac{\lambda}{8f} \varphi F \tilde{F} \right)$$

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Ruled-out by the data

R. Namba, E. Dimastrogiovanni, M. Peloso 2013 P. Adshead, E. Martinec, M. Wyman 2013

> + Theoretical issue: <u>Very large  $\lambda \sim 100!$ </u>

D. Baumann & L. McAllister 2014

$$S_{Cn} = \int d^4x \sqrt{-g} \left( -\frac{R}{2} - \frac{1}{4}F^2 - \frac{1}{2} \left( (\partial_\mu \varphi)^2 - \mu^4 \left( 1 + \cos(\frac{\varphi}{f}) \right) \right) - \frac{\lambda}{8f} \varphi F \tilde{F} \right)$$

Inspired by them, several different models with SU(2) fields have been proposed and studied.

#### An incomplete list of Different Realizations of the SU(2)-Axion Inflation:

- 1. A. M. and M. M. Sheikh-Jabbari, Phys. Rev. D 84:043515, 2011 [arXiv:1102.1513]
- 2. P. Adshead, M. Wyman, Phys. Rev. Lett.(2012) [*arXiv:1202.2366*]
- 3. **A. M.** JHEP 07 (2016) 104 [arXiv:1604.03327]
- 4. C. M. Nieto and Y. Rodriguez Mod. Phys. Lett. A31 (2016) [arXiv:1602.07197]
- 5. E. Dimastrogiovanni, M. Fasiello, and T. Fujita JCAP 1701 (2017) [arXiv:1608.04216]
- 6. P. Adshead, E. Martinec, E. I. Sfakianakis, and M. Wyman JHEP 12 (2016) 137 [arXiv:1609.04025]

....

- 7. P. Adshead and E. I. Sfakianakis JHEP 08 (2017) 130 [arXiv:1705.03024]
- 8. R. R. Caldwell and C. Devulder Phys. Rev. D97 (2018) [arXiv:1706.03765]
- 9. E. McDonough, S. Alexander, JCAP11 (2018) 030 [arXiv:1806.05684]
- 10. L. Mirzagholi, E. Komatsu, K. D. Lozanov, and Y. Watanabe, [arXiv:2003.04350]
- 11. Y. Watanabe, E. Komatsu, [arXiv:2004.04350]
- 12. J. Holland, I. Zavala, G. Tasinato, [arXiv:2009.00653]
- 13.

A. M., SU(2)R –axion inflation [arXiv:2012.11516]

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#### SU(2)-Axion inflation has a very rich phenomenology:

P. Adshead et. al 2013 Dimastrogiovanni et. al 2013 **A. M.** et. al, 2013

- O A new mechanism for generation of Primordial Gravitational Waves A. M. et. al, 20:
- o All Sakharov conditions are satisfied in inflation: a new baryogenesis mechanism R. Caldwell et. al 2017
- O Particle Production in inflation by Schwinger effect and chiral anomaly A.M. et. al 2017 & 2018 A.M. 2019

A. M. 2014 & A.M. 2016

# SU(2)-Axion Model Building

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$$\int d^{\mu} x \sqrt{g} \left( 2 4^{\mu} 2 \left( 2 4^{\mu} 2 \right)^{\mu} \left( 1 + \cos(f) \right) \right) 8f^{\mu} \right)$$

• Minimal Scenario of SU(2)-axion inflation A.M., 2016 f<0.1 Mpl &  $\lambda$ <0.1

$$S_{AM} = \int d^4x \sqrt{-g} \left( -\frac{R}{2} - \frac{1}{4}F^2 - \frac{1}{2} \left( (\partial_\mu \varphi)^2 - V(\varphi) \right) - \frac{\lambda}{8f} \varphi F \tilde{F} \right)$$
  
Axion Monodromy

# How to Connect them with the SM?

Let us Extend SM Gauge Symmetry by an  $SU(2)_R$  and couple it to Axion Inflaton!

o Left-Right Symmetric Model + axion!



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Axion Monodromy



A. M. arXiv: 2012.11516

• An SU(2) gauge extension of SM with 3 Right-handed Neutrinos coupled to it.



J. C. Pati and A. Salam, Phys. Rev. D 10, 275-289 (1974) R. N. Mohapatra and J. C. Pati, Phys. Rev. D 11, 2558 (1975) G. Senjanovic and R. N. Mohapatra, Phys. Rev. D 12, 1502 (1975)



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- 2. Accidental B-L global symmetry
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• An SU(2) gauge extension of SM with 3 Right-handed Neutrinos coupled to it.



• Axion is the inflaton which is coupled to  $SU(2)_R$ 



 $SU(2)_{R}$ -axion Inflation

#### A. M. arXiv: 2012.11516



# Gauge field Production by Axion



• SM Gauge fields are diluted by inflation & unimportant ,  $BUT SU(2)_R$ :

()

Axion inflaton

Gauge field (active in inflation)

 $W_R$ 

 $W_R$ 

 $SU(2)_{R}$  Gauge Field •  $\delta A_i^a = B_{\pm}^a(t,k)e_i^{\pm}\left(\vec{k}\right)$  $B_{\pm}^{\prime\prime} + [k^2 + \xi k\mathcal{H}] B_{\pm} \approx 0$ effective frequency Given by the BG  $(\xi = \frac{2\lambda \partial_t \varphi}{fH})$ Vacuum structure Axion field  $\langle \varphi \rangle$ 

Axion field  $\langle \varphi \rangle$   $(\xi > 0)$ Slow-roll A  $(\xi < 0)$   $SU(2)_{\mathbb{R}} Gauge Field$ •  $\delta A_i^a = B_{\pm}^a(t,k)e_i^{\pm}(\vec{k})$   $B_{\pm}^{\prime\prime} + [k^2 + \xi k\mathcal{H}]B_{\pm} \approx 0$ 

effective frequency Given by the BG ( $\xi = \frac{2\lambda\partial_t \varphi}{fH}$ )

#### Vacuum structure



For  $\xi > 0$ Short tachyonic growth of  $B_+$ 





Chiral Field

Particle Production



# Gauge Field sources Primordial GWs

•  $\delta A_i^a(t, \vec{k}) = B_{\pm}^a(t, k)e_i^{\pm}(\vec{k})$  is governed by  $B_{\pm}^{\prime\prime} + [k^2 + \xi k\mathcal{H}] B_{\pm} \approx 0$ 



nande

• That sourced the GWs

$$h_{\pm}^{\prime\prime} + [k^2 - \frac{a^{\prime\prime}}{a}] h_{\pm} = \mathcal{H}^2 \Pi_{\pm}[B_{\pm}]$$



Gravitational waves have two uncorrelated terms



$$h_{\pm} = \underline{h_{\pm}^{vac}} + \underline{h_{\pm}^{s}}$$
Vacuum Sourced by  
GWs  $B_{\pm}$   
unpolarized Polarized  
 $h_{\pm}^{vac} = h_{\pm}^{vac} \quad h_{\pm}^{s} \neq h_{\pm}^{s}$ 



## <u>Novel Observable Signature: CMB</u>

• The sourced tensor modes is Highly non-Gaussian.

Agrawal, Fujita, Komatsu 2018

 That can be probe with future CMB missions., e.g. Litebird and CMB-S4!



#### Equilateral Shape

Maresuke Shiraishi, Front. Astron. Space Sci. 2019

### Novel Observable Signature: Beyond CMB

 Comparison of sensitivity curves for LiteBIRD, Planck, LISA & BBO.



Thorne, Fujita, Hazumi, Katayama, Komatsu & Shiraishi, 2018



# Lepton & quark Production by $SU(2)_R$

# Lepton & quark Production in Inflation

o Left-handed fermions are diluted by inflation, BUT

• Right-handed fermions are generated by  $SU(2)_R$  gauge field:

 $\psi_R$ 

 $\psi_R$ 

 $W_R$ 

### Lepton & quark Production in Inflation

o Left-handed fermions are diluted by inflation, BUT

o Right-handed fermions are generated by  $SU(2)_R$  gauge field:

The key ingredient is the Chiral anomaly of  $SU(2)_R$  in inflation:



$$\nabla_{\mu} J^{\mu}_{\rm B} = \nabla_{\mu} J^{\mu}_{\rm L} = \frac{g^2}{16\pi^2} tr[W\widetilde{W}]$$

 $n_{\rm B} = n_{\rm L} = \alpha_{inf}(\xi) H^3$  $(\alpha_{inf}(\xi) \sim \frac{g^2}{(2\pi)^4} e^{2\pi\xi}$ 



 $W_R$ 

RH neutrinos

 $\psi_R$ 

 $\psi_R$ 

#### Summary of the mechanism:





#### Summary of the mechanism:



This setup prefers Left-Right symmetry breaking scales above  $m_{W_R} = 10^{10} \text{ GeV }!$ (same as scales suggested by the non-SUSY SO(10) GUT models with intermediate LR symmetry scale.)





- I) Particle physics of Inflation
- II) Origin of matter asymmetry
- III) Origin of Neutrino mass
- IV) Particle nature of DM

of Particle Cosmology

Questions



- Curious cosmological coincidences  $\eta_B \simeq 0.3 P_{\zeta}$  and  $\Omega_{DM} \simeq 5\Omega_B$ !
- o What do Gauge Fields do in Inflation? May be coupled to axion inflaton
- O Does it come with a cosmological signature? Yes! Chiral, non-Gaussian GWs.
- O How Inflaton & its Gauge Field are connected to the SM? Left-Right Symmetric Model + axion!
- (Is there a simple, elementary & minimal set-up that can solve all the above issues? Yes!)
   This Set-up is a complete beyond SM that can solve I-IV & explain (1)

# Minimal Set-up:

-Inflation Particle Physics: a scalar singlet BSM

- -Unpolarized, Gaussian GWs
- -Baryon asymmetry (BAU):

CP violating phases in neutrino sector

-Sterile neutrino DM:  $m_{N_1} = O(10) keV \& x$ -ray radiation!

SU(2)<sub>R</sub>-Axion Inflation:

-Inflation Particle Physics (BSM): Axion & its SU(2) Gauge Field

-Chiral, non-Gaussian GWs

- BAU: Spontaneous CP violation in inflation
- Right neutrino DM:  $m_{N_1} = O(1)GeV$  & gamma-ray radiation!
- Simultaneous Baryon & DM production in inflation
- Explains coincidences among cosmological parameters ( $\eta_B \sim P_R \& \Omega_{DM} \simeq 5 \Omega_B$ )



scale

CMB

CMB

gamma-ray

photon

Baryon & Dark Matter Production

